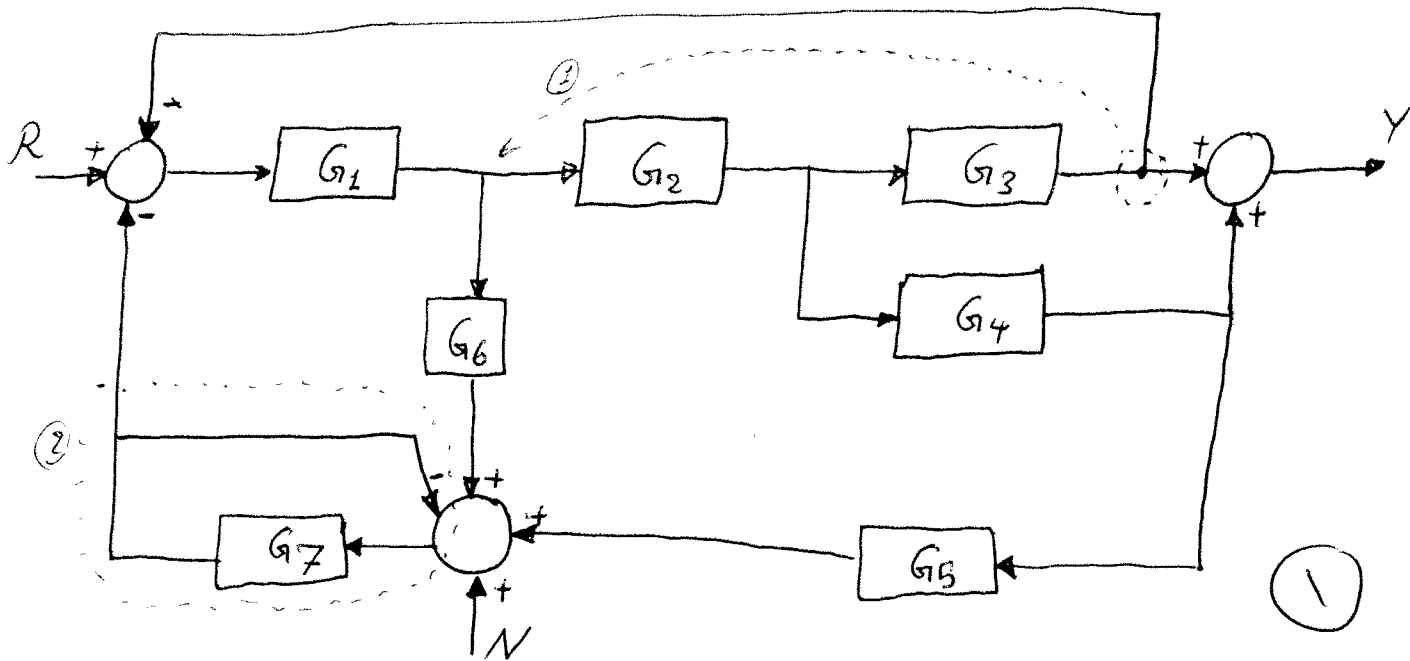
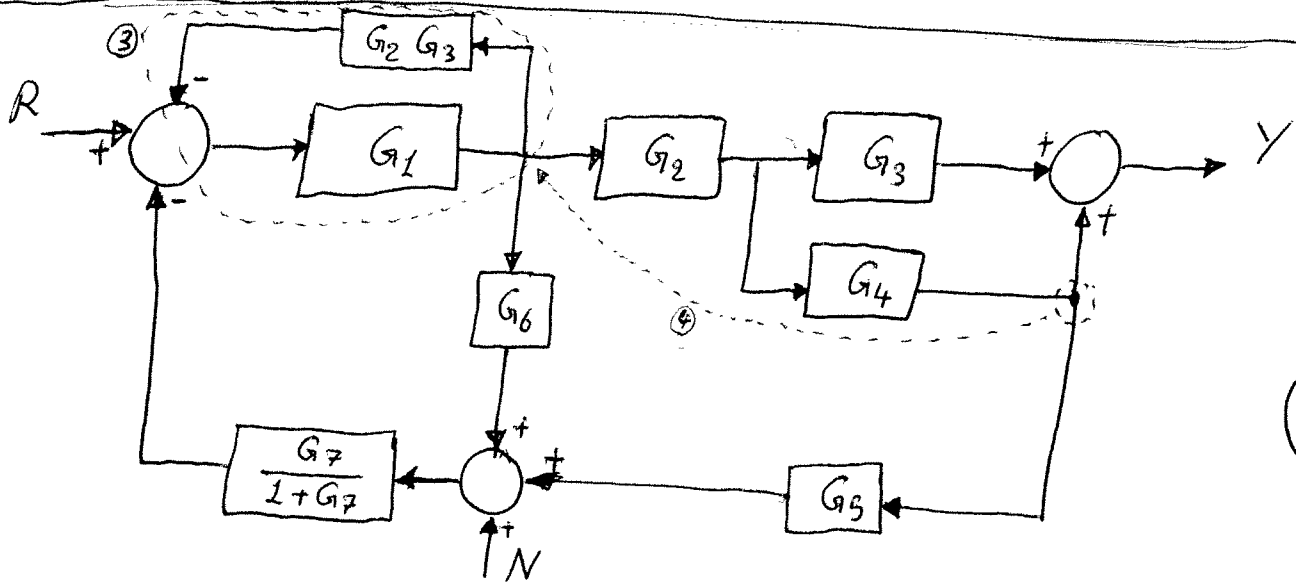




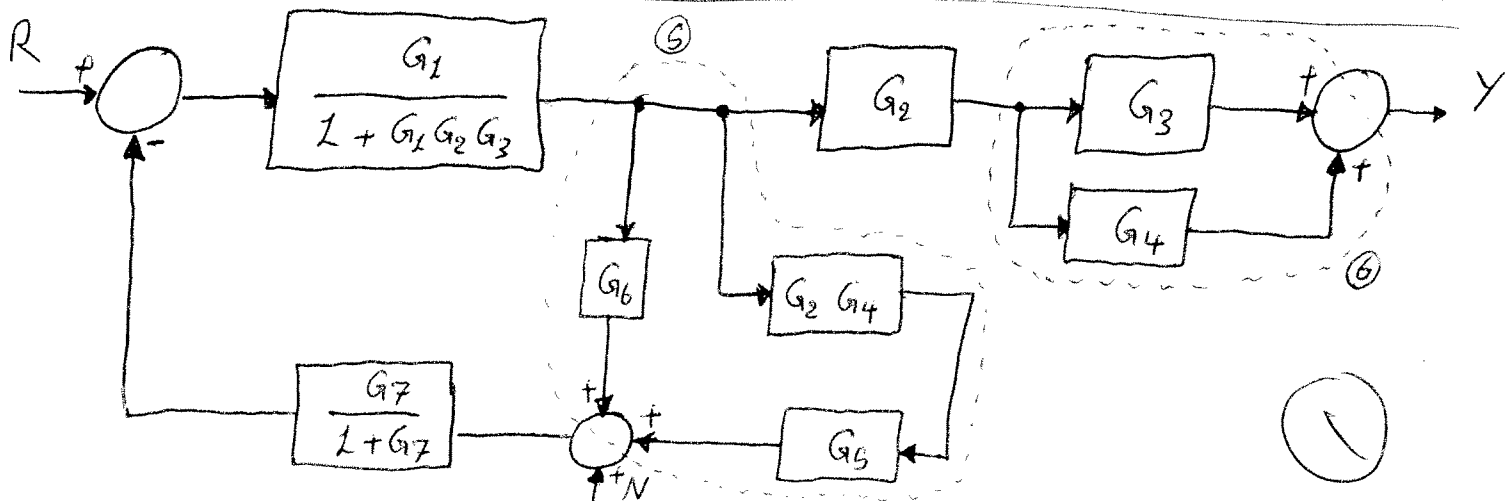
① Moving the take-off point (from output of G_3 to input of G_2)

② The feed back of (G_7 & (-1))



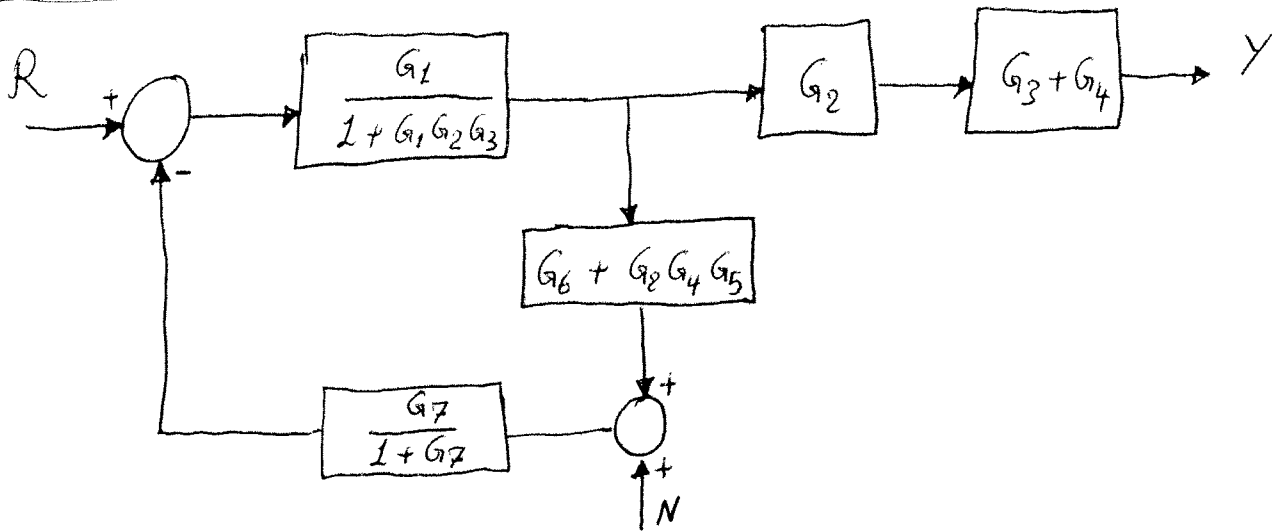
③ The feed back of (G_1 & $(-G_2G_3)$)

④ Moving the take-off point (from output of G_4 to the input of G_2)



⑤ G_6 is parallel with $(G_2 G_4 G_5)$

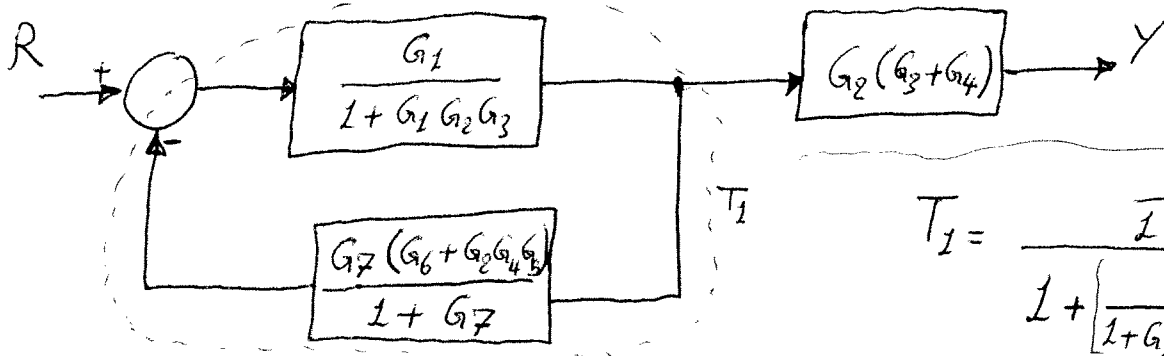
⑥ G_3 is parallel with G_4



Now we will apply superposition.

First to calculate Y/R , let $N=0$

①



$$T_1 = \frac{\frac{G_1}{1+G_1G_2G_3}}{1 + \left[\frac{G_1}{1+G_1G_2G_3} \cdot \frac{G_7(G_6+G_2G_4G_5)}{1+G_7} \right]}$$

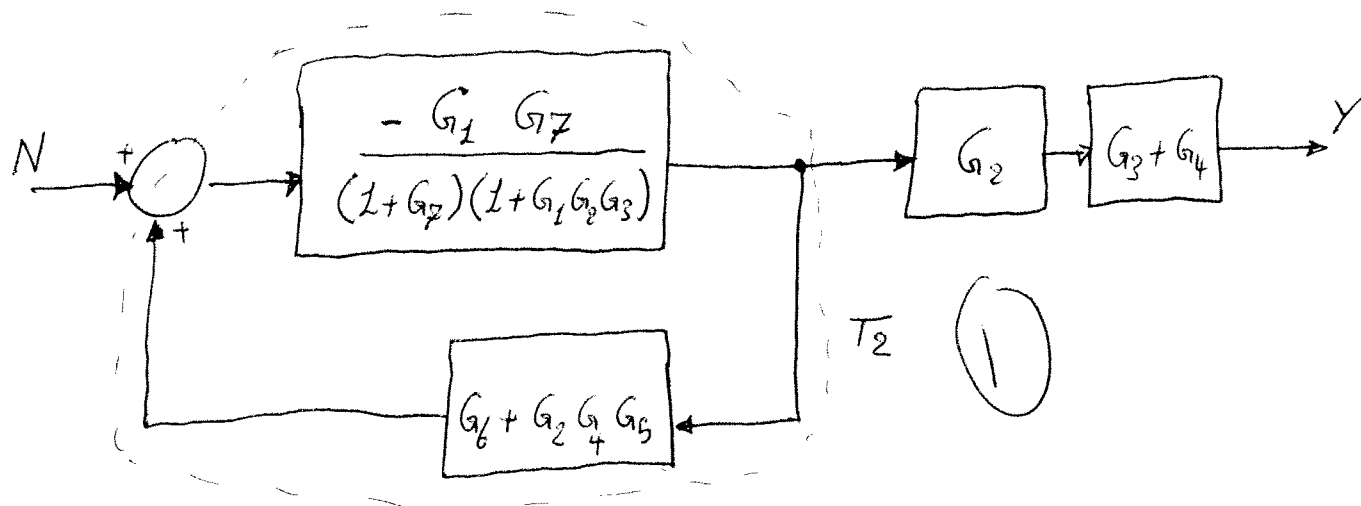
$$T_1 = \frac{G_1 (1+G_7)}{(1+G_2)(1+G_1G_2G_3) + G_1G_7(G_6+G_2G_4G_5)}$$

$$T_1 = \frac{G_1(1+G_7)}{(1+G_2)(1+G_1G_2G_3) + G_1G_7(G_6+G_2G_4G_5)}$$

$$\frac{Y}{R} = T_1 \cdot G_2(G_3+G_4) = \frac{G_1G_2(G_3+G_4)(1+G_7)}{(1+G_2)(1+G_1G_2G_3) + G_1G_7(G_6+G_2G_4G_5)}$$

②

After that calculate $\frac{Y}{N}$, let ~~$R=0$~~



$$T_2 = \frac{-G_1 G_2}{(1+G_2)(1+G_1 G_2 G_3) + G_1 G_2 (G_6 + G_2 G_4 G_5)}$$

$$\frac{Y}{N} = T_2 \cdot G_2 (G_3 + G_4)$$

$$\frac{Y}{N} = \frac{-G_1 G_2 G_2 (G_3 + G_4)}{(1+G_2)(1+G_1 G_2 G_3) + G_1 G_2 (G_6 + G_2 G_4 G_5)}$$

★ Make sure that the denominator of $\frac{Y}{R}$ is the same as the denominator of $\frac{Y}{N}$, if not there must be something wrong in your calculations.

Is there any relationship between the system blocks that makes Y independent of N ? **NO**

Why?

to have $\frac{Y}{N} = 0$ then

either $(G_1 = 0, G_2 = 0 \text{ or } G_2 = 0)$, not practical, we need a relation between blocks, not to remove the block completely!
or $(G_3 = -G_4)$ also not practical

~~as will~~ because it will make both $\frac{Y}{N}$ & $\frac{Y}{R}$ equal to Zero