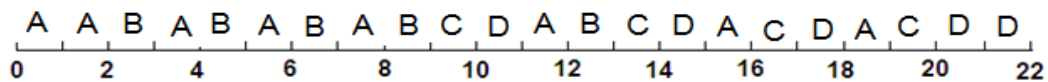


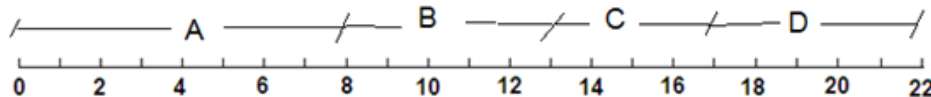
Answers of Problem Set (1):

[P1]a) RR, q=1



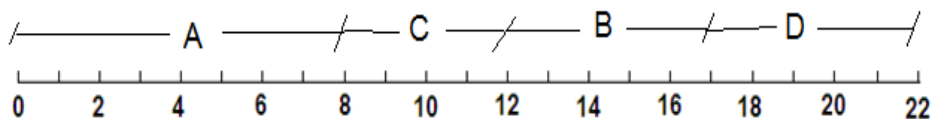
$$W_{AV} = (11+6+8+7)/4 = 8$$

[P1]b) FCFS



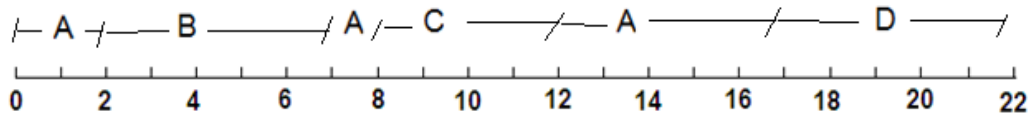
$$W_{AV} = (0+6+5+7)/4 = 4.5$$

SPN



$$W_{AV} = (0+10+0+7)/4 = 4.25$$

SRT



$$W_{AV} = (9+0+0+7)/4 = 4$$

[P1] c)

For RR with  $q=1$ ,  $W_{AV}$  becomes  $8+18.5x$

For FCFS,  $W_{AV}$  becomes  $4.5+2.5x$

For SPN,  $W_{AV}$  becomes  $4.25+2.5x$

For SRT, A works from  $x$  to  $2$  (for  $2-x$ ), B works from  $2+x$  to  $7+x$  and terminates, then A works from  $7+2x$  to  $8$  (for  $1-2x$ ), then C runs from  $8+x$  to  $12+x$  and terminates. At  $12+x$ , remaining time of A is  $5+3x$ , while remaining time of D is  $5$ , thus D runs from  $12+2x$  to  $17+2x$  and terminates. Finally, A runs from  $17+3x$  to  $22+6x$ . From the above,  $W_{AV}$  becomes  $4+2.5x$

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**[P2] a)** As  $q$  is very large, every process be blocked before the end of quantum. Thus the system will continuously run a process for time  $r$ , followed by a switching of time  $s$ . The CPU efficiency is thus given by:

$$\eta = \frac{r}{r + s}$$

**b)** As long as  $q > s$ , the process will stop before end of quantum, and the above result will not change (assuming immediate switching if a process stops).

**c)** In this case, process will run in  $\left\lceil \frac{r}{q} \right\rceil$  quanta before blocking. Thus, the CPU efficiency becomes:

$$\eta = \frac{r}{r + \left\lceil \frac{r}{q} \right\rceil s}$$

**d)** As  $q=s$ , CPU efficiency will be 50% or less (since process may end within a quantum and a switching is corresponding to less than  $q$  of processing).

**e)** As  $q$  tends to 0, CPU efficiency will also tend to 0, as the switching time is fixed.

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**[P3] a)** Each process will have one quantum for  $\left[ \left( \frac{p_a}{q} \right) - 1 \right]$  times, then process A will have one quantum and then terminate. Thus termination time of A is:

$$t_a = 3q \left[ \left( \frac{p_a}{q} \right) - 1 \right] + q$$

and its waiting time is:

$$w_a = 2(p_a - q)$$

**b)** From the expression if  $p_a = q$  waiting time is zero, then as  $q$  decreases the waiting time increases approaching  $2p_a$ . This decrease in  $q$  actually increases waiting time much further as the switching time becomes comparable to  $q$ .

**c)** Waiting time of process C is

$$w_c = (p_a + p_b)$$

independent of  $q$ .

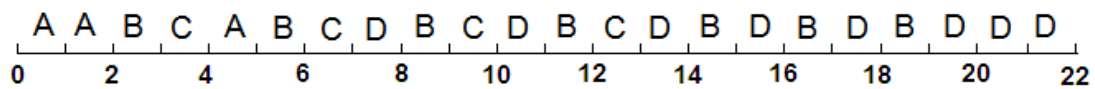
This is based on the assumption of negligible switching time

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**[P4]** Priorities become 80, 69, and 65. Note that CPU usage may be measured by the number of quanta the process received in a given time period. A CPU-bound process is a process that spends most of its time using the CPU as opposed to an I/O-bound process that uses most of its time using or waiting for I/O (this is typical for processes interacting with the user). From the above, scheduler lowers the priority of CPU bound processes.

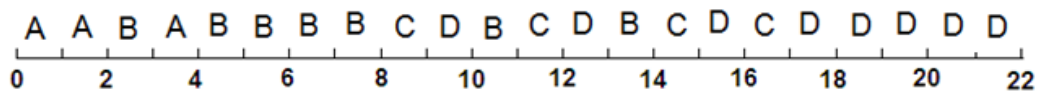
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**[P5] a)**



$$W_{AV} = (2+10+6+9)/4 = 6.75$$

**[P5] b)**



$$W_{AV} = (1+5+10+9)/4 = 6.25$$

**[P5] c)**

Process B must have priority less than *both* C and D.

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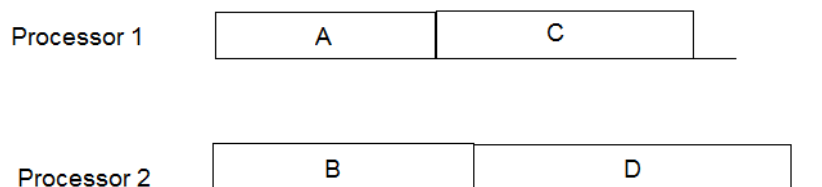
**[P6]**

**a)** The minimum average waiting time will be achieved by SPN (processes run in order A-B-C-D without pre-emption), and will be equal to

$$w_{av} = \frac{0 + p_A + (p_A + p_B) + (p_A + p_B + p_C)}{4}$$

$$= \frac{3p_A + 2p_B + p_C}{4}$$

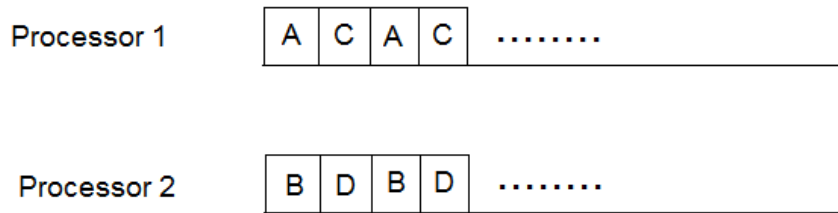
**b)**



$$w_{av} = \frac{(p_A + p_B)}{4}$$

No other order of execution can result in a lower value.

c)



Assuming for simplicity that all process times are multiple of  $q$ , then:

Termination time of A will be  $2p_A - q$ , and its waiting time will be  $p_A - q$ . Waiting time of C will be  $p_A$ . Similarly, waiting times of B and D will be  $p_B - q$  and  $p_B$ .

Thus

$$w_{av} = \frac{(2p_A + 2p_B) - 2q}{4}$$

As a further exercise, find the average waiting time if process times are not multiple of  $q$ , both if immediate switching occurs when a process ends within a quantum or not.

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